Pseudo-keypoint RKHS Learning for Self-supervised 6DoF Pose Estimation (Supplementary Material)

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S.1 Overview

We document here some addition implementation details and results. The detailed structures of keypoint radial voting network M_v and Convolutional RKHS Adapter M_A are described in Sec. S.2 and shown in Figs. S.2 and S.1. Sec. S.3 describes the visualized radial pattern (shown in Fig. S.3) of the dragon object in TUDL, which inspired us to use a CNN (M_v) to simulate the voting process. The AR_{VSD} , AR_{MSSD} , AR_{MSPD} , and AR results of all datasets we used for all ablation studies are summarized in Sec. S.4 and listed in Fig. S.4 and Tables S.1, S.2, S.3, and S.4. The detailed ADD(S) results for each category of object on LM and LMO are listed in Tables S.6 and S.5, and ADD-S AUC results on YCB are shown in Table S.7.

S.2 Network Diagrams

The structure of Adapter network M_A is shown in Fig. S.1. Each conv block comprises 3×3 convolution, batch normalization, and ReLu layers. Inputs of M_A , *i.e.* x8s, x4s, x2s, upx2s, upx4s, and upx8s are feature maps extracted from each step of M_r . x8s stands for the 8th step of the encoding ResNet block, and upx8s is the 8th step of the decoding block, etc. Outputs of each column of conv blocks are concatenated and mapped into RKHS by a linear layer.

The keypoint radial voting network M_v structure is shown in Fig. S.2. The input of M_v is the inversed radial map \hat{V}_r^{-1} , defined in the main paper. M_v comprises 5 convolution layers with a kernel size of 3 and stride of 1. A linear layer maps the feature map into the shape of $n \times 4$ comprising $n \times 2$ projected 2D keypoints K, n classification labels C, and n confidence scores S.

Estimated keypoints are organized into clusters based on geometric constraints when multiple instances of the same object appear within an image. More precisely, the estimated keypoints are grouped into instance sets by sorting the mean absolute differences of the Euclidean distances between keypoints defined on the CAD model, and those being estimated.



Fig. S.1: Convolutional RKHS Adapter M_A detailed structure.



Fig. S.2: Keypoint radial voting network M_v detailed structure. Each conv block comprises a 3×3 convolution, batch normalization, and ReLu layer. The final linear layer reshapes the feature map into the output K, C, S.

S.3 Radii Pattern for Keypoint Voting

As shown in Fig. S.3, the estimated radial map \hat{V}_r is an inverse heat map of the candidate keypoints' locations, distributed in a radial pattern centered at the keypoints. The further away from the pixel to the keypoint, \hat{V}_r has a greater value. Pixels with value -1 do not lie on an object. This inspired us to use a CNN (M_v) to detect the peak, thereby localizing the keypoint.



(c) left keypoint \widehat{V}_r^{-1}

(d) right keypoint \widehat{V}_r^{-1}

Fig. S.3: TUDL [S.3] dataset dragon object (a) RGB image and (b)-(d) inverse radial maps \hat{V}_r^{-1} . The segmentation mask is applied to filter out the background, shown in red. Keypoints (pink stars) are located at the (b) center, (c) left, and (d) right.

S.4 Ablation Studies

The AR_{VSD} , AR_{MSSD} , AR_{MSPD} , and AR results for all datasets used for all ablation studies are provided here.

Table S.1 shows the dataset-wise performance when sparse M_A^S and dense M_A RKHS Adapters are used to reduce the sim2real domain gap. M_A performs better on all datasets than M_A^S .

Table S.2 demonstrates the impact of different kernels used in M_A including linear and RBF kernels, both with and without trainable weights. M_A with trainable linear kernel performs the best compared to others.

Table S.3 compares different RKHS metrics including MMD, KL Div, and Wass Distances. M_A evaluated by MMD outperforms the other metrics.

Table S.4 illustrates the training strategies of the regression and voting model M_{rv} and the adapter M_A , whether sequentially or mixed. The mixed training is shown to lead to better (+2.5%) performance.

Lastly, the correlation between object size and accuracy is also evaluated on LM, LMO, and YCB datasets, and the results are shown in Fig. S.4. The object size impact on the accuracy has no significant impact except when there are extreme occlusions in LMO.

Ac	lapter	Dataset	AR_{VSD}	AR_{MSSD}	AR_{MSPD}	AR
		LM	96.0	95.7	95.7	95.8
		LMO	68.7	68.2	68.2	68.4
		TLESS	85.9	85.1	85.8	85.6
	м	TUDL	97.6	96.4	95.4	96.2
	MA	ITODD	69.2	68.5	68.4	68.7
		HB	92.7	91.6	92.5	92.3
		YCB	83.9	83.4	84	83.8
		average	84.9	84.1	84.3	84.4
		LM	93.4	92.7	92.6	92.9
		LMO	59.7	59.3	59.2	59.4
		TLESS	78.8	78.7	78.8	78.8
	1.15	TUDL	95.6	95.3	95.5	95.5
	M_A	ITODD	56.7	56.7	56.5	56.6
		HB	85.7	85.3	85.6	85.5
		YCB	76.5	76.4	76.6	76.5
		average	78.1	77.8	77.8	77.9

Table S.1: The impact of sparse (M_A^s) and dense (M_A) Adapters, defined in Sec. 5.1 in the main paper, on LM and LMO, and five BOP core datasets.

Kernels	Trainable Weights (w)	Dataset .	AR_{VSL}	AR_{MSSD}	AR_{MSPD}	AR
		LM	85.4	84.2	84.4	84.7
		LMO	56.9	56.3	55.4	56.2
		TLESS	74.3	73.8	74.2	74.1
Timoon	v	TUDL	88.2	87.3	84.3	86.6
Linear	^	ITODD	45.2	44.7	45.3	45.1
		HB	79.3	78.6	79.2	79.0
		YCB	72.2	70.5	71.3	71.3
		average	71.6	70.8	70.6	71.0
		LM	85.3	84.1	84.3	84.6
		LMO	57.1	56.3	55.2	56.2
		TLESS	73.7	73.1	73.6	73.5
DDE	v	TUDL	90.3	89.7	89.9	90.0
пDГ	^	ITODD	52.7	51.9	52.5	52.4
		HB	80.2	79.6	79.3	79.7
		YCB	72.6	71.8	71.5	72.0
		average	73.4	72.9	73.2	73.2
		LM	96.0	95.7	95.7	95.8
		LMO	68.7	68.2	68.2	68.4
		TLESS	85.9	85.1	85.8	85.6
Lincor	1	TUDL	97.6	96.4	95.4	96.2
Linear	v	ITODD	69.2	68.5	68.4	68.7
		HB	92.7	91.6	92.5	92.3
		YCB	83.9	83.4	84	83.8
		average	84.9	84.1	84.3	84.4
		LM	94.7	94.5	94.4	94.5
		LMO	57.1	56.3	55.2	56.2
		TLESS	83.7	82.9	83.3	83.3
DDE	1	TUDL	97.4	95.8	94.9	95.1
пDГ	v	ITODD	66.7	63.6	64.2	64.7
		HB	85.6	83.9	84.8	84.8
		YCB	82.8	82.6	82.8	82.7
		average	82.5	81.3	81.5	81.6

Table S.2: The impact of different RKHS kernels defined in Sec. 5.3 in the main paper on LM and five BOP core datasets.

Motrics	Dataset	ARuge	ABrage	ABNORE	ΔP
mennes	IM		05 7	05.7	05.9
		90.0 69 7	90.7	90.7	90.0
	TWO	00.7	06.2	06.2	00.4
	TLESS	85.9	85.1	85.8	85.0
MMD	TUDL	97.6	96.4	95.4	96.2
	ITODD	69.2	68.5	68.4	68.7
	$_{\mathrm{HB}}$	92.7	91.6	92.5	92.3
	YCB	83.9	83.4	84	83.8
-	average	84.9	84.1	84.3	84.4
	LM	90.2	90.3	90.5	90.3
	LMO	63.4	62.2	63.6	63.1
	TLESS	79.8	79.7	80.2	79.9
KL	TUDL	93.4	93.2	92.9	93.2
Div	ITODD	62.1	62.2	62.1	62.1
211	HB	84.6	84.3	84.7	84.5
	YCB	72.6	72.5	72.3	72.4
-	average	78.0	77.8	78.0	77.9
	LM	92.3	91.7	92.2	92.1
	LMO	64.7	64.2	64.7	64.5
	TLESS	82.3	82.2	81.9	82.1
Wass	TUDL	95.7	95.6	95.5	95.6
Distance	ITODD	65.7	64.9	65.6	65.4
Distance	HB	89.3	89.1	89.5	89.3
	YCB	76.5	76.3	76.6	76.4
-	average	80.9	80.6	80.9	80.8

Table S.3: The impact of different metrics defined in Sec. 5.3 in the main paper for M_A on LM and five BOP core datasets.

Training Type	Dataset	AR_{VSD}	AR_{MSSD}	AR_{MSPD}	AR
	LM	96.0	95.7	95.7	95.8
	LMO	68.7	68.2	68.2	68.4
	TLESS	85.9	85.1	85.8	85.6
Minod	TUDL	97.6	96.4	95.4	96.2
Mixed	ITODD	69.2	68.5	68.4	68.7
	HB	92.7	91.6	92.5	92.3
	YCB	83.9	83.4	84	83.8
	average	84.9	84.1	84.3	84.4
	LM	95.4	95.2	95.3	95.3
	LMO	65.3	65.2	65.2	65.2
	TLESS	85.7	85.3	85.6	85.5
Convential	TUDL	97.6	96.4	95.4	96.2
Sequential	ITODD	63.4	62.2	62.3	62.6
	HB	88.6	88.4	88.3	88.4
	YCB	79.8	79.5	80.0	79.8
	average	82.3	81.7	81.7	81.9

Table S.4: The impact of different training strategies described in Sec. 5.2 in the main paper on LM and five BOP core datasets.



Fig. S.4: Impact of object size (diameter) on accuracy, for three datasets (LM, LMO, and YCB). There is no noticeable performance change for different object sizes, except for small heavily occluded objects in the LMO dataset.

S.5 Category Wise Performance

The category-wise ADD(S), ADD-S AUC, and ADD(S) AUC results for LINEMOD-Occlusion, LINEMOD, and YCB-Video are shown in Tables S.5, S.6, and Table S.7. RKHSPose outperforms on average against all self-supervised methods and most of the object categories.

Table S.5: LMO accuracy results of self-supervised 6DOF PE methods: accuracy of RKHSPose for non-symmetric objects is evaluated with ADD, and for symmetric objects (annotated with *) is evaluated with ADD-S. All the syn + real image methods use real images without GT labels. The methods annotated with ** are the TexPose [S.1] re-implementation.

					Obje	ect			hala	
Mode	Method	ape	can	cat	driller	duck	eggbox^*	glue^*	puncher	Mean
syn	GDR [S.12]	44	83.9	49.1	88.5	15	33.9	75	34	52.9
	Self6D [S.11]	13.7	43.2	18.7	32.5	14.4	57.8	54.3	22	32.1
	Sock et al. [S.7]	12	27.5	12	20.5	23	25.1	27	35	22.8
arm i nool	DSC [S.14]	9.1	21.1	26	33.5	12.2	39.4	37	20.4	24.8
syn + rear	SMOC-Net [S.9]	60.0	94.5	59.1	93.0	37.2	48.3	89.3	25.0	63.3
images	Self6D++ ** [S.1, S.10]	59.4	96.5	60.8	92	30.6	51.1	88.6	38.5	64.7
	TexPose [S.1]	$\underline{60.5}$	93.4	56.1	92.5	55.5	46	82.8	46.5	66.7
	Ours	62.7	93.5	58.2	92.5	58.7	48.2	<u>88.7</u>	46.5	<u>68.6</u>
	Ours+ICP	62.7	93.7	58.2	92.7	58.7	48.3	88.7	46.7	68.7

Table S.6: LINEMOD Accuracy Results of self-supervised 6DOF PE methods: Non-symmetric objects are evaluated with ADD, and The methods annotated with ** are the TexPose [S.1] re-implementations. DeepIM annotated with # is the self6D++ re-implementation. symmetric objects (annotated with *) are evaluated with ADD-S . All the syn + real image methods use real images without GT labels.

							Obje	ct						
			bench-				•			hole				
Mode	Method	ape	vise	camera	can ci	at drille	r duck (3ggbox*	glue*	puncher	iron	lamp l	phone	mean
	AAE [S.8]	4.0	20.9	30.5	35.9 17	.9 24.0	4.9	81.0	45.5	17.6	32.0	60.5	33.8	31.4
$_{\rm syn}$	MHP [S.5]	11.9	66.2	22.4	59.8 26	i.9 44.6	8.3	55.7	54.6	15.5	60.8	ı	34.4	38.8
	DeepIM ^{$\#$} [S.4, S.10]	85.8	93.1	99.1	99.8 98	3.7 100.0	0 61.9	93.5	93.3	32.1	100.0	99.1	94.8	88.0
	DSC [S.14]	31.2	83.0	49.6	56.5 57	.9 73.7	31.3	96.0	63.4	38.8	61.9	64.7	54.4	58.6
	Self6D [S.11]	38.9	75.2	36.9	65.6 57	.9 67.0	19.6	99.0	94.1	16.2	77.9	68.2	50.1	58.9
	GDR** [S.1, S.12]	85.0	99.8	96.5	99.3 95	0.100.0	0 65.3	99.9	98.1	73.4	86.9	9.60	86.3	91.0
+ nds	Sock et al. [S.7]	37.6	78.6	65.6	65.6 52	2.5 48.8	35.1	89.2	64.5	41.5	80.9	70.7	60.5	60.6
real 3	$Self6D++^{**}$ [S.1, S.10]	75.4	94.9	97.0	99.5 86	6.98.9	68.3	99.0	96.1	41.9	99.4	98.9	94.3	88.5
image	SMOC-Net [S.9]	85.6	96.7	97.2	99.9 9E	0.0 100.0	0.97 C	98.3	99.2	45.6	99.9	98.9	94.0	91.3
	TexPose [S.1]	80.9	66	94.8	<u>99.7</u> 92	.6 97.4	83.4	94.9	93.4	79.3	99.8	98.3	78.9	91.7
	DPODv2 [S.6]	80.0	99.7	99.2	39.60	6.1 98.9	79.5	99.6	99.8	72.3	99.4	96.3	96.8	93.5
	Ours	90.2	99.7	99.1	99.8 <u>96</u>	<u>5.2</u> 99.2	86.3	99.8	99.8	80.3	99.6	98.8	97.2	95.8
	Ours+ICP	90.3	99.7	99.1	99.8 96	i.4 <u>99.3</u>	86.5	99.8	99.8	80.7	99.6	98.8	97.2	95.9
+ use +	SO-Pose [S.2]		1	1		۱								96.0
real	Ours	92.3	99.7	99.3	99.897	.5 99.2	90.2	99.8	99.8	84.3	99.6	98.8	97.2	96.7
labels	Ours+ICP	92.7	99.7	99.3	99.897	.5 99.2	90.7	99.8	99.8	84.5	99.6	98.8	97.3	96.8

	Durs+ICP 95.7 99.0 99.5 96.5 99.8 100.0 67.5 93.7 94.5 95.5	Ours <u>95.4</u> 98.8 99.2 <u>96.3</u> 99.6 99.8 <u>67.2</u> <u>93.5</u> <u>94.3</u> <u>95.2</u> Ours+ICP 95.7 99.0 <u>99.5</u> 96.5 <u>99.8</u> 100.0 67.5 93.7 94.5 95.5	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	Durs+ICP 13.8 86.5 91.5 83.3 93.6 92.5 94.5 84.5 76.3 93.6 I6D++ [S.10] 93.8 98.8 99.6 95.4 100.0 <u>99.9</u> 63.3 92.9 91.1 9 Ours <u>95.4</u> 98.8 99.2 <u>96.3</u> 99.6 99.8 <u>67.2</u> <u>93.5</u> <u>94.3</u> <u>94.3</u> <u>94.5</u> <u>91.5</u> <u>91.5</u> <u>99.5</u> <u>90.5</u> <u>99.8</u> 100.0 67.5 <u>93.7</u> <u>94.5</u>	Ours 13.7 86.2 91.3 83.2 92.7 92.3 94.3 84.2 76.3 Ours+ICP 13.8 86.5 91.5 83.3 93.6 92.5 94.5 84.5 76.3 I6D++ [S.10] 93.8 98.8 99.6 95.4 100.0 99.9 63.3 92.9 91.1 Ours 95.4 98.8 99.2 96.3 99.6 99.8 67.2 93.5 94.3 Ours 95.4 98.8 99.2 96.5 99.8 67.2 93.7 94.5 Ours+ICP 95.7 99.0 99.5 96.5 99.8 100.0 67.5 93.7 94.5	$\begin{array}{r rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$
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